

CS 6530: Advanced Database Systems Fall 2023

# Lecture 14

## Query optimization

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Acknowledgement: Slides taken from Prof. Arun Kumar, UCSD

So, what is query optimization and how does it work?

# Meet Query Optimization

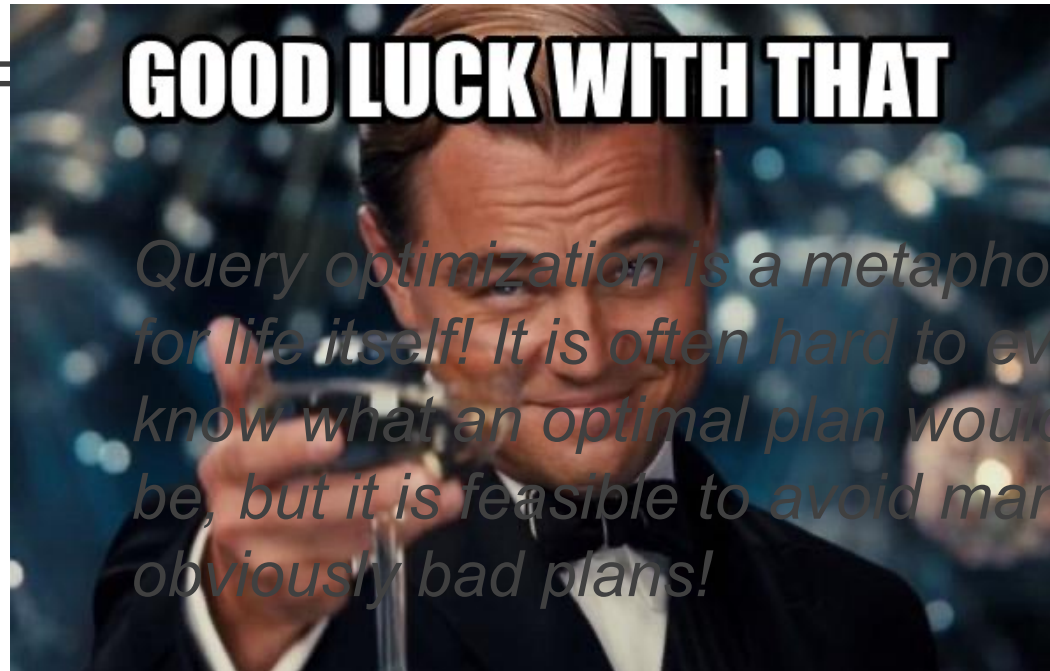
**Basic Idea:** A given LQP could have several possible PQPs with very different runtime performance

**Goal (Ideal):** Get the optimal (fastest) PQP for a given LQP

**Goal (Realistic):** Find a PQP that is not obviously bad!



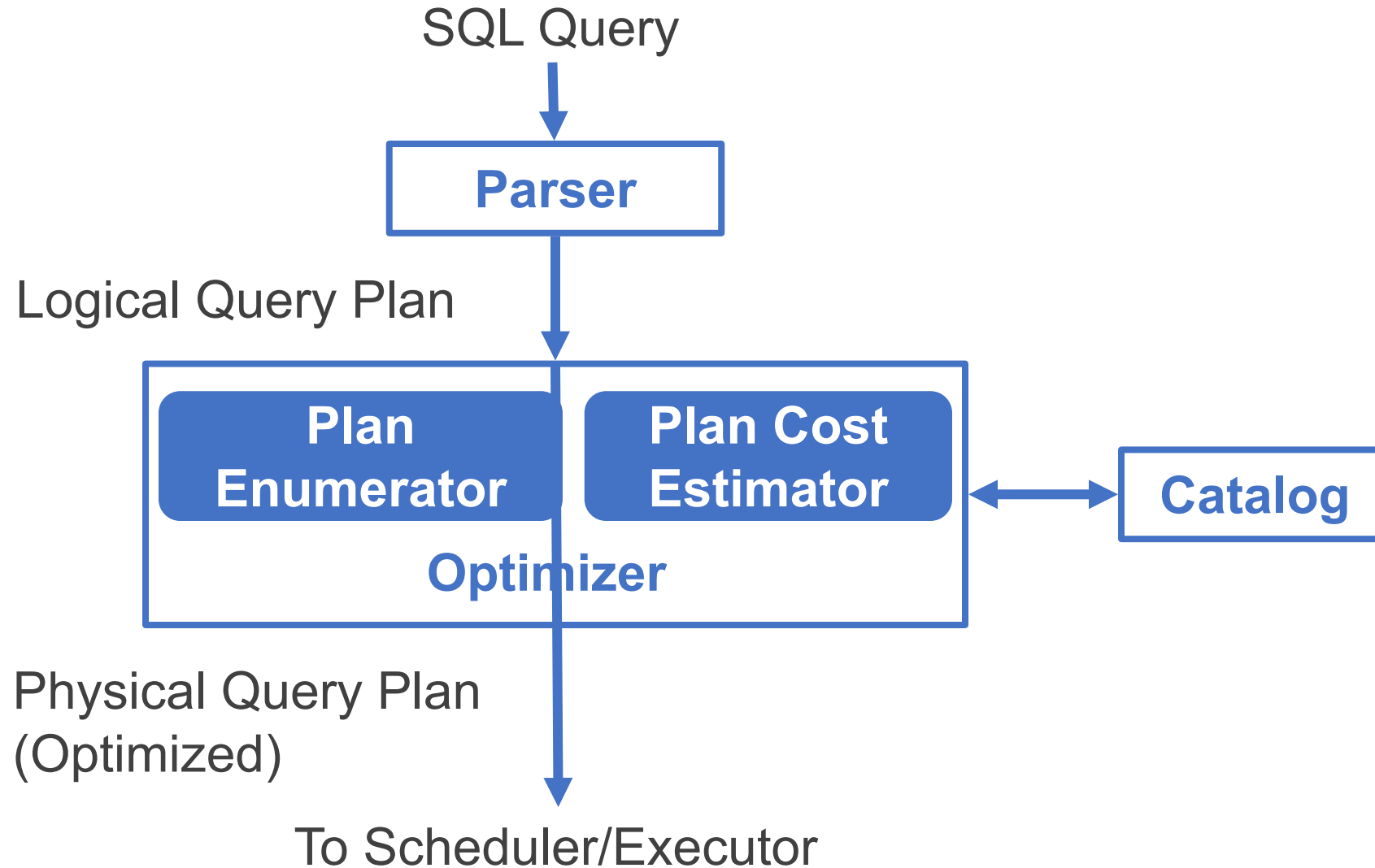
Jeff Naughton



# Query Optimization

- ❖ Overview of Query Optimizer
- ❖ Physical Query Plan (PQP)
  - Concept: Pipelining
  - Mechanism: Iterator Interface
- ❖ Enumerating Alternative PQPs
  - Logical: Algebraic Rewrites
  - Physical: Choosing Phy. Op. Impl.
- ❖ Costing PQPs
- ❖ Materialized Views

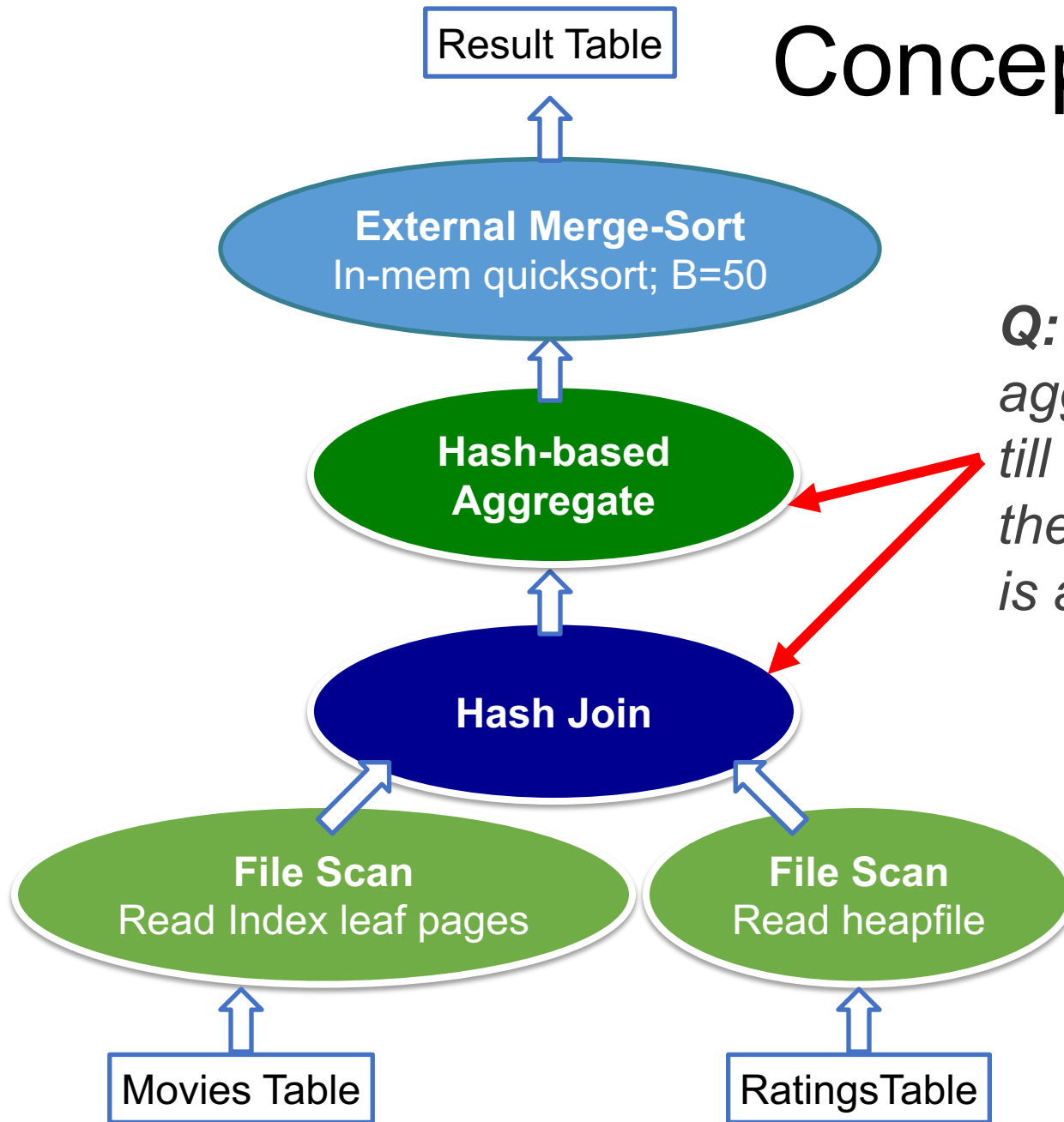
# Overview of Query Optimizer



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# Concept: Pipelining



*Q: Does the hash-based aggregate have to wait till the entire output of the “upstream” hash join is available?*

**No! We can “pipeline” the output of the join – pass on a join output tuple as soon as it is obtained!**

# Concept: Pipelining

**Basic Idea:** Do not force “downstream” physical operators to wait till the entire output is available

**Benefits:** Display output to the user incrementally  
CPU Parallelism in multi-core systems!

Tuples



File Scan

Hash Join

Hash-based  
Aggregate



# Concept: Pipelining

- ❖ Crucial for PQPs with workflow of many phy. ops.
- ❖ Common feature of almost all RDBMSs
- ❖ Works for many operators: SCAN, HASH JOIN, etc.

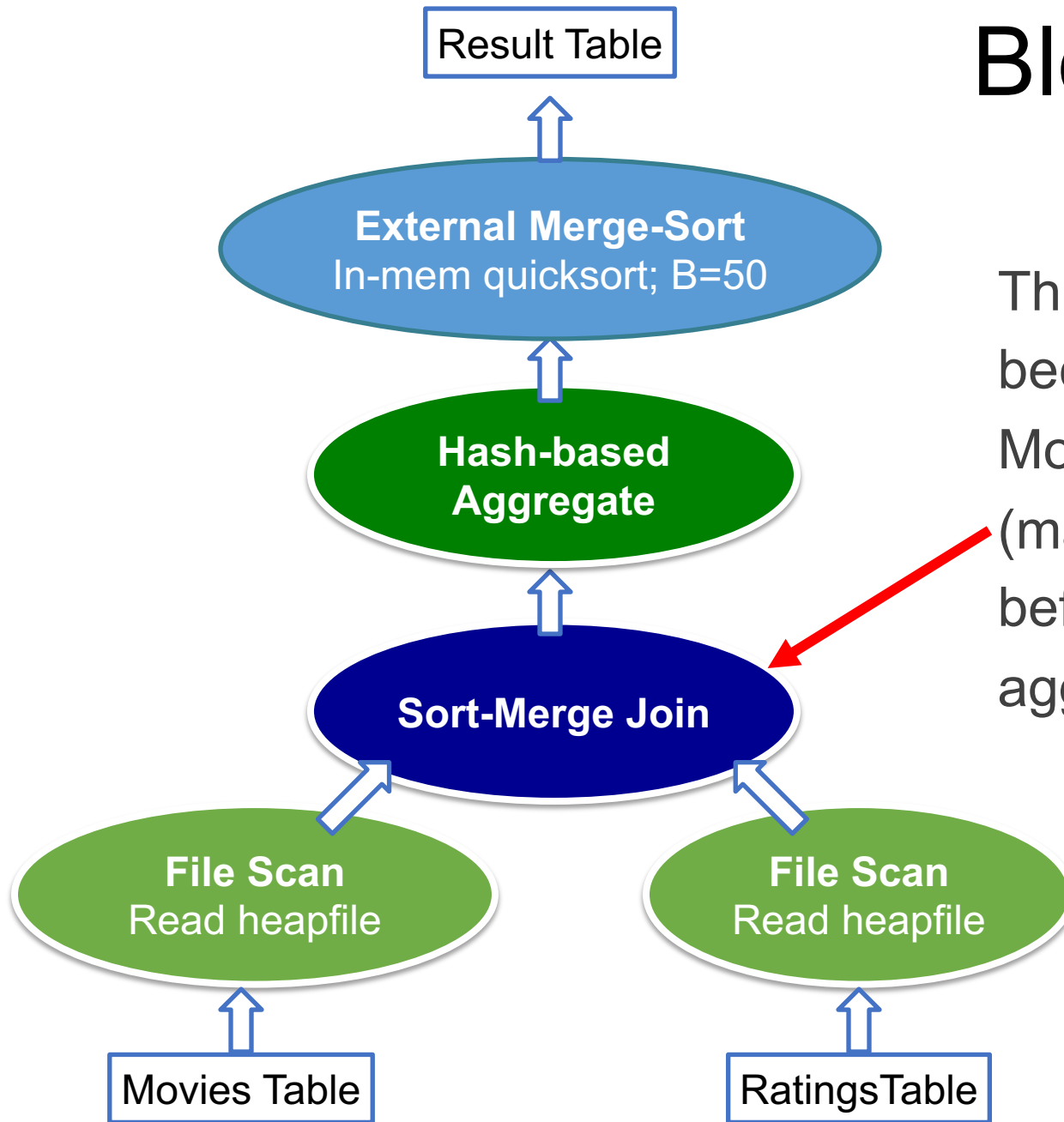
*Q: Are all physical operators amenable to pipelining?*

No! Some may “stall” the pipeline: “**Blocking Op**”

A blocking op. requires its output to be **Materialized**  
as a temporary table

Usually, any phy. op. involving sorting is blocking!

# Blocking Op



This phy. op. is blocking because we need to sort Movies and sort Ratings (materialize the output) before we can start any aggregate computations!

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# Mechanism: Iterator Interface

- ❖ Software API to process PQP; makes pipelining easy to impl.
- ❖ Enables us to abstract away individual phy. op. impl. details
- ❖ Three main functions in usage interface of each phy. op.:

**Open():** Initialize the phy. op. “state”, get arguments

Allocate input and output buffers

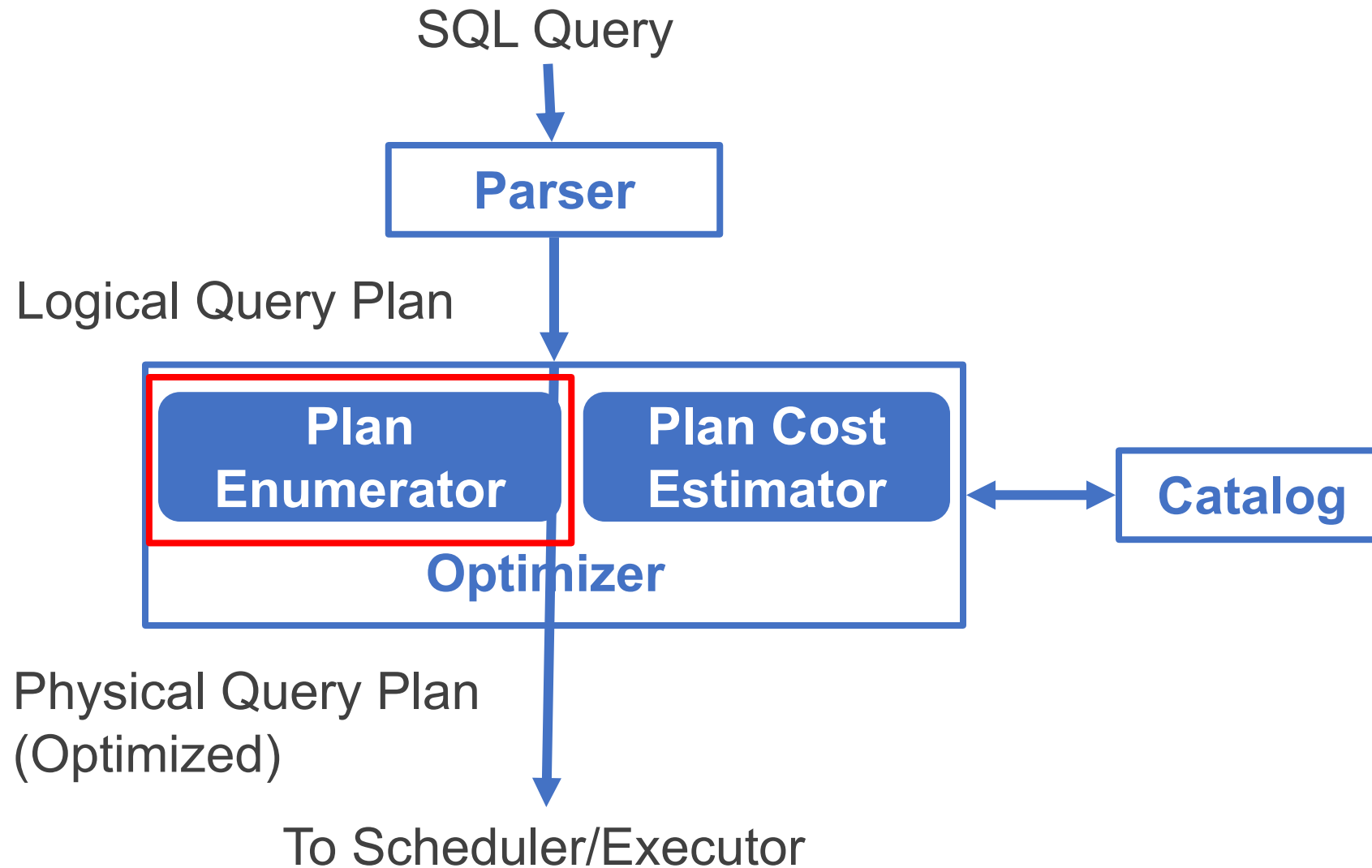
**GetNext():** Ask the phy. op. impl. to “deliver” next output tuple; pass it on; if blocking, wait

**Close():** Clear phy. op. state, free up space

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# Overview of Query Optimizer



# Enumerating Alternative PQPs

- ❖ Plan Enumerator explores various PQPs for a given LQP
- ❖ **Challenge: Space of plans is huge! How to make it feasible?**
- ❖ RDBMS Plan Enumerator has **Rules** to help determine what plans to enumerate, and also consults **Cost models**
- ❖ Two main sources of Rules for enumerating plans:
  - Logical: Algebraic Rewrites:**  
Use relational algebra equivalence to rewrite LQP itself!
  - Physical: Choosing Phy. Op. Impl.:**  
Use different phy. op. impl. for a given log. op. in LQP

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# Algebraic Rewrite Rules

- ❖ Rewrite a given RA query in to another that is equivalent (a logical property) but might be faster (a physical property)
- ❖ RA operators have some formal properties we can exploit
- ❖ We will cover only a few rewrite rules:

## **Single-operator Rewrites**

**Unary** operators

**Binary** operators

## **Cross-operator Rewrites**

# Unary Operator Rewrites

❖ Key unary operators in RA:  $\sigma$   $\pi$

❖ Commutativity of  $\sigma$

$$\sigma_{p_1}(\sigma_{p_2}(\mathbf{R})) = \sigma_{p_2}(\sigma_{p_1}(\mathbf{R}))$$

❖ Cascading of  $\sigma$

$$\sigma_{p_1}(\sigma_{p_2}(\dots \sigma_{p_n}(\mathbf{R}) \dots)) = \sigma_{p_1 \wedge p_2 \wedge \dots \wedge p_n}(\mathbf{R})$$

❖ Cascading of  $\pi$

$$A_i \subseteq A_{i+1} \forall i = 1 \dots (n - 1)$$

$$\pi_{A_1}(\pi_{A_2}(\dots \pi_{A_n}(\mathbf{R}) \dots)) = \pi_{A_1}(\mathbf{R})$$

*Q: Why are cascading rewrites beneficial?*

# Binary Operator Rewrites

- ❖ Key binary operator in RA:  $\bowtie$
- ❖ Commutativity of  $\bowtie$      $R \bowtie S = S \bowtie R$
- ❖ Associativity of  $\bowtie$      $(R \bowtie S) \bowtie T = R \bowtie (S \bowtie T)$

*Q: Why are these properties beneficial?*

*Q: What other binary operators in RA satisfy these?*

# Cross-Operator Rewrites

- ❖ Commuting  $\sigma$  and  $\pi$   $A \subseteq B$

$$\sigma_{p(A)}(\pi_B(R)) = \pi_B(\sigma_{p(A)}(R))$$

- ❖ Combining  $\sigma$  and  $\times$

$$\sigma_p(R \times S) = R \bowtie_p S$$

- ❖ “Pushing the select”  $A \subseteq R.*$

$$\sigma_{p(A)}(R \bowtie S) = \sigma_{p(A)}(R) \bowtie S$$

$$\sigma_{p(A)}(R \times S) = \sigma_{p(A)}(R) \times S$$

- ❖ Commuting  $\pi$  with  $\times$  and  $\bowtie$

$$\pi_A(R \times S) = \pi_{A \cap R.*}(R) \times \pi_{A \cap S.*}(S) \quad B \subseteq A$$

$$\pi_A(R \bowtie_{p(B)} S) = \pi_{A \cap R.*}(R) \bowtie_{p(B)} \pi_{A \cap S.*}(S)$$

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# Choosing Phy. Op. Impl.

- ❖ Given a (rewritten) LQP, pick phy. op. impl. for each log. op.
- ❖ Recall various RA op. impl. with their I/O (and CPU costs)

$\sigma$  File scan vs Indexed (B+ Tree vs Hash)

$\pi$  Hashing-based vs Sorting-based vs Indexed

$\bowtie$  BNLJ vs INLJ vs SMJ vs HJ

etc.

*Q: With algebraic rewrites?!*

$\pi_B(\sigma_{p(A)}(R) \bowtie S)$

3 options      3 options      4 options      = **36** PQPs!

# Phy. Op. Impl.: Other Factors

- ❖ Are the indexes clustered or unclustered?
- ❖ Are there multiple matching indexes? Use multiple?
- ❖ Are index-only access paths possible for some ops?
- ❖ Are there “interesting orderings” among the inputs?
- ❖ Would sorted outputs benefit downstream ops?
- ❖ Estimation of cardinality of intermediate results!
- ❖ How best to reorder multi-table joins?

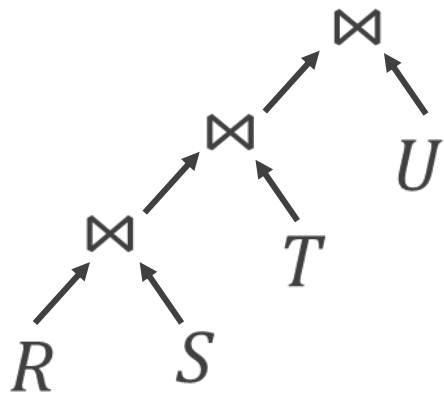
*Query optimizers are complex beasts!*

*Still a hard, open  
research problem!*

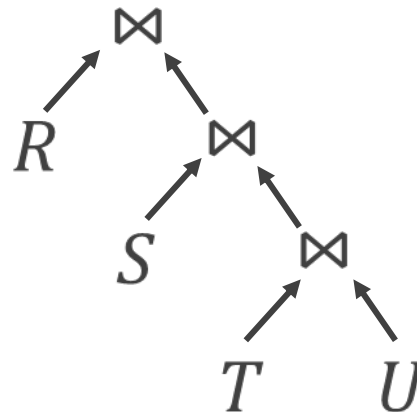
# Phy. Op. Impl.: Join Orderings

- ❖ Since joins are associative, exponential number of orderings!

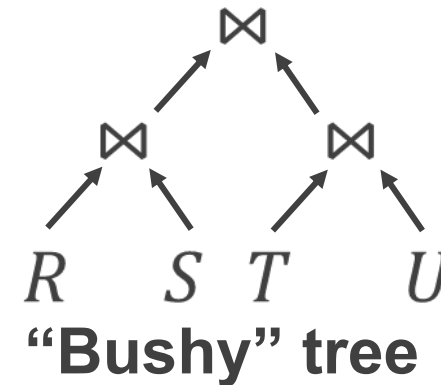
$$R \bowtie S \bowtie T \bowtie U$$



**Left Deep tree**



**Right Deep tree**



**“Bushy” tree**

- ❖ Almost all RDBMSs consider only left deep join trees  
Enables easy pipelining! Why?
- ❖ “Interesting orderings” idea from System R optimizer paper
- ❖ Dynamic program to combine enumeration and costing

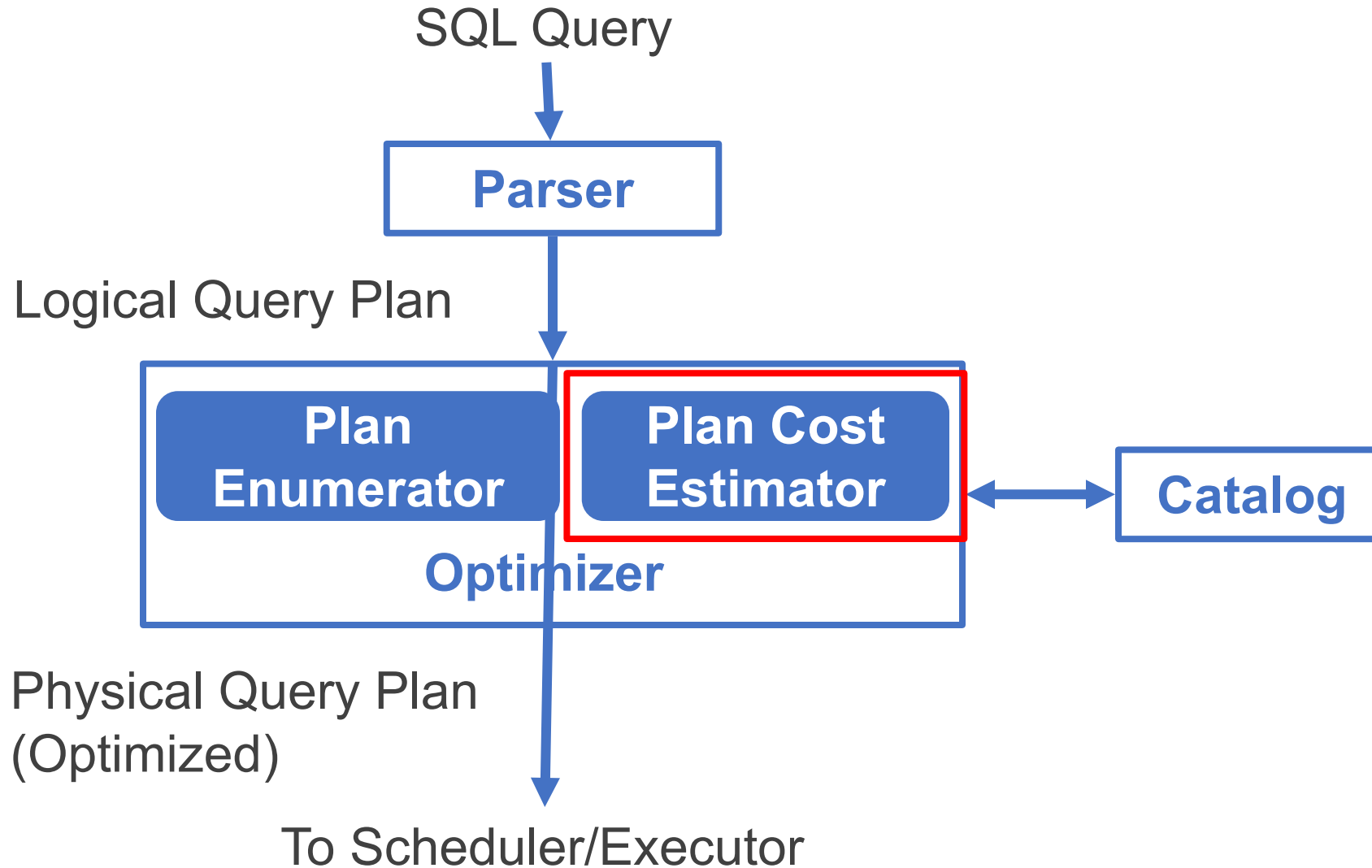
“Access Path Selection in a Relational Database Management System” SIGMOD’79



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# Overview of Query Optimizer



# Costing PQPs

- ❖ For each PQP considered by the Plan Enumerator, the Plan Cost Estimator computes “**Cost**” of the PQP

Weighted sum of I/O cost and CPU cost

(Distributed RDBMSs also include Network cost)

- ❖ **Challenge: Given a PQP, compute overall cost**

- ❖ **Issues to consider:**

Pipelining vs. blocking ops; cannot simply add costs!

**Cardinality estimation** for intermediate tables!

*Q: What statistics does the catalog have to help?*

# Costing PQPs

- ❖ Most RDBMSs use various heuristics to make costing tractable; so, it is approximate!
- ❖ **Example: Complex predicates**

$$\sigma_{p_1 \wedge p_2}(R)$$

Suppose selectivity of  $p_1$  is 5%  
and selectivity of  $p_2$  is 10%

*Q. What is the selectivity of  $p_1 \wedge p_2$ ?* Not enough info!

But, most RDBMSs use the **independence** heuristic!

Selectivity of conjunction = Product of selectivities

Thus,  $\approx 0.05 * 0.1 = 0.005$ , i.e., 0.5%

# Query Optimization: Summary

- ❖ Plan Enumerator and Cost Estimator work in lock step:

**Rules** determine what PQPs are enumerated

Logical: Algebraic rewrites of LQP

Physical: Op. Impl. and ordering alternatives

**Cost models** and **heuristics** help cost the PQPs

- ❖ Still an active research area!

Parametric Q.O., Multi-objective Q.O.,

Multi-objective parametric Q.O., Multiple Q.O.,

Online/Adaptive Q.O., Dynamic re-optimization, etc.

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# Introducing Materialized Views

- ❖ A **View** is a “virtual table” created with an SQL query
- ❖ A **Materialized View** is a physically instantiated/stored view

Example:

<u>RatingID</u>	Stars	RateDate	UID	MID			
<u>UID</u>	Name	Age	JoinDate	<u>MID</u>	Name	Year	Director

```
SELECT AVG(Stars)
FROM Ratings R, Movies M, Users U
WHERE R.MID = M.MID AND R.UID = U.UID
      M.Director = "Christopher Nolan" AND
      U.Age >= 20 AND U.Age < 30;
```

$\gamma_{AVG(Stars)}(R \bowtie \sigma_{Director="Christopher Nolan"}(M) \bowtie \sigma_{20 \leq Age < 30}(U))$

Requires file scans of R, M, and U and, say, hash joins

# Materialized Views Example

Example:

<u>RatingID</u>	Stars	RateDate	UID	MID			
<u>UID</u>	Name	Age	JoinDate	<u>MID</u>	Name	Year	Director

$\gamma_{AVG(Stars)}(R \bowtie \sigma_{Director="Christopher\ Nolan"}(M) \bowtie \sigma_{20 \leq Age < 30}(U))$

```
CREATE MATERIALIZED VIEW NolanRatings AS
SELECT RatingID, Stars, UID, MID
FROM Ratings R, Movies M
WHERE R.MID = M.MID AND
      M.Director = "Christopher Nolan";
```

Creates a subset of R with ratings for only Nolan's movies

$V \leftarrow \pi_{RatingID, Stars, UID, MID}(R \bowtie \sigma_{Director="Christopher\ Nolan"}(M))$



# Materialized Views Example

Example:

<u>RatingID</u>	Stars	RateDate	UID	MID			
<u>UID</u>	Name	Age	JoinDate	<u>MID</u>	Name	Year	Director

$$\gamma_{AVG(Stars)}(R \bowtie \sigma_{Director="Christopher Nolan"}(M) \bowtie \sigma_{20 \leq Age < 30}(U))$$

Given the materialized view  $V$ , RDBMS optimizer can automatically *rewrite* to use  $V$  to avoid scans of  $R$  and  $M$

$$V \leftarrow \pi_{RatingID, Stars, UID, MID}(R \bowtie \sigma_{Director="Christopher Nolan"}(M))$$

$$\gamma_{AVG(Stars)}(V \bowtie \sigma_{20 \leq Age < 30}(U))$$

Likely much faster since  $V$  is likely much smaller than  $R$ , but this depends on data statistics; leave it to optimizer!

*Q: How did DBA know to materialize a view for Nolan ratings?*

# Materialized View Maintenance

Example:

<u>RatingID</u>	Stars	RateDate	UID	MID			
<u>UID</u>	Name	Age	JoinDate	<u>MID</u>	Name	Year	Director

We are given this materialized view  $V$  over  $R$  and  $M$

$$V \leftarrow \pi_{RatingID, Stars, UID, MID}(R \bowtie \sigma_{Director="Christopher Nolan"}(M))$$

*Q: What if new ratings are inserted to  $R$  for Nolan's movies?*

- ❖ RDBMS will automatically “trigger” updates to  $V$
- ❖ Such updates are called **Materialized View Maintenance**
- ❖ 2 alternatives: Recompute whole view from scratch vs **Incremental View Maintenance (IVM)**

# Incremental View Maintenance (IVM)

**Basic Idea:** Recomputing  $V$  from scratch may be an overkill  
Try to *incrementally* update parts that change

$$V = Q(D) \quad V' = Q(D')$$

- ❖  $D'$  can be the outcome of inserts and/or deletes to  $D$
- ❖  $Q$  can be a unary query or involve multiple tables
- ❖ Computing  $V'$  may require inserts and/or deletes to  $V$ ;  
realized as ***algebraic rewrite rules*** at LQP level
- ❖ Whether or not IVM of  $V$  is feasible and/or efficient depends  
on form of  $Q$ , nature of updates to  $D$ , data statistics, etc.
- ❖ We will focus only on inserts to  $D$  triggering inserts to  $V$

# Incremental View Maintenance (IVM)

Unary IVM for insertions:

$$R' = R \cup \Delta R \leftarrow \text{Newly inserted tuples}$$

**Select:**  $V \leftarrow \sigma_{\text{SelectCondition}}(R)$   
 $V' = V \cup \sigma_{\text{SelectCondition}}(\Delta R)$

Can be just an *append* (union with “bag” semantics)

**Project:**  $V \leftarrow \pi_{\text{ProjectionList}}(R)$   
 $V' = V \cup \pi_{\text{ProjectionList}}(\Delta R)$

Requires full set union with V for deduplication

Select and Project can be composed and reordered as before

# Incremental View Maintenance (IVM)

Unary IVM for insertions:

$$R' = R \cup \Delta R \leftarrow \text{Newly inserted tuples}$$

**Group By Agg:**  $V \leftarrow \gamma_{AggList, Agg(Y)}(R)$

Feasibility of IVM Depends on Agg() function!

Rewrite rules exist for SUM, COUNT, and MIN/MAX over bags

AVG not possible in general; needs deeper system changes

$$V' = \gamma_{AggList, SUM(Y)}(V \cup \gamma_{AggList, SUM(Y)}\Delta R)$$

$$V' = \gamma_{AggList, SUM(Y)}(V \cup \gamma_{AggList, COUNT(Y)}\Delta R)$$

$$V' = \gamma_{AggList, MIN(Y)}(V \cup \gamma_{AggList, MIN(Y)}\Delta R)$$

# Incremental View Maintenance (IVM)

**Join IVM for insertions:**      Assume no duplicate inserts

$$V \leftarrow A \bowtie B \qquad \begin{array}{l} A' = A \cup \Delta A \\ B' = B \cup \Delta B \end{array}$$

$$V' = V \cup (\Delta A \bowtie B') \cup (A' \bowtie \Delta B)$$

Alternatively, we can just append the output of the following query to  $V$  (union below is just append too):

$$(\Delta A \bowtie B') \cup (A' \bowtie \Delta B) - (\Delta A \bowtie \Delta B)$$

IVM for complex queries compose such op-level rewrites

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